

$$\text{Effect size } \eta^2 = \frac{\text{SSB}}{\text{SSB} + \text{SSW}}$$

$$\text{Effect size } \eta^2 = \frac{9524}{9524 + 10365} = 0.47$$

3b.

We usually say something is "statistically significant" if $p < 0.05$

$P=0.004$

$N^2=0.47$

$\eta^2 > 0.14$ indicates a **large** effect.

F-statistic:

$$F = \frac{MSB}{MSW}$$

$$\frac{2381}{518.25} = 4.59$$

Finally

$$P = P(F(4,20) > 4.59) = 0.0046$$

$$SSW = \sum (X_j - X_i)^2$$

Where

X_j denotes a group mean;

X_i denotes an individual observation in each group

$$10365 = (X_{i1} - X_1)^2 + (X_{i2} - X_1)^2 + \dots + (X_{inj} - X_5)^2$$

For n independent observations and m groups

$$dfW = n - m$$

$$25 - 5 = 20$$

$$MSW = \frac{SSW}{dfW}$$

$$\frac{10365}{20} = 518.25$$

3a.

$$SSB=9524 \quad SSW=10365$$

$$SSB = \sum n_j (X_j - \bar{X})^2$$

\bar{X}_j denotes a group mean;

\bar{X} is the overall mean;

n_j is the sample size per group.

$$9524 = 5(X_{j1} - \bar{X})^2 + 5(X_{j2} - \bar{X})^2 + 5(X_{j3} - \bar{X})^2$$

For m groups

$$dfB = m - 1$$

$$\text{so } dfB = 5 - 1 = 4$$

$$MSB = SSB/dfB$$

$$\frac{9524}{4} = 2381$$